

Fundamentals of Traffic Operations and Control



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Course Information (4 credits)

- ▣ **Format:** 2 hrs of lecture per week + 2 hrs of exercise-laboratory per week (on average)

Instructor in Charge

Nikolas Geroliminis

- ▣ Office: GC C2 389 phone: [021 69] 32481

Grading

- ▣ Homeworks 0% Labs (2) 30%
- ▣ Mid-term 30% Final Exam 40%

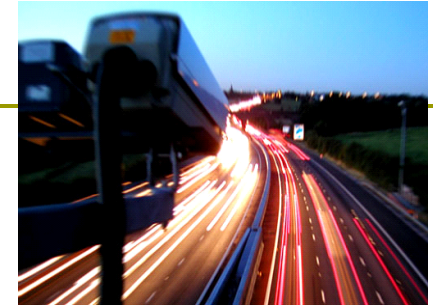
Textbook

- ▣ Lecture notes, book chapters and handouts will be distributed throughout the semester, or posted on web.

The team

- ▣ *Pengbo Zhu, Yura Tak, Anne-Valérie Preto*

Smart and Complex Mobility



Educational Goals

- ▣ High level of technical expertise to succeed in positions in transportation engineering practice/research in CH and worldwide
- ▣ Produce engineering designs that are based on sound principles and consider functionality, safety, cost effectiveness and sustainability
- ▣ Fundamental knowledge to pursue lifelong learning such as graduate work

Course OBJECTIVES

- ▣ Introduce the major elements of transportation and create awareness of the broader context
- ▣ Develop basic skills in applying the fundamentals of the transportation field
- ▣ Be prepared for further study in this field

Transportation Infrastructure

- ❑ Critical Components of Transportation Infrastructure System
 - Drivers
 - Vehicles
 - Roads and highways
 - ❑ Freeway system
 - ❑ Rural highway system
 - ❑ Arterial and street systems
 - General environment
 - Traffic control devices
 - ITS infrastructures
- ❑ Need tools to design, evaluate, and operate such complex systems.



Course description

▣ **Traffic Modeling**

Relations between properties of traffic streams and models describing how congestion changes over time and space at different levels of scale.

Micro- (Car following), Meso- (Cell Transmission Model), Macro- (city level)

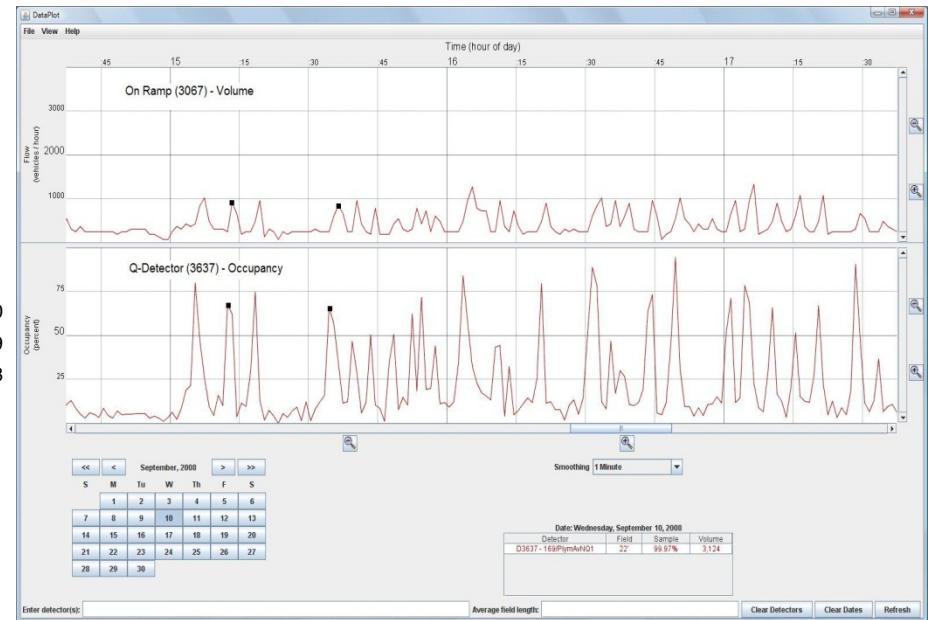
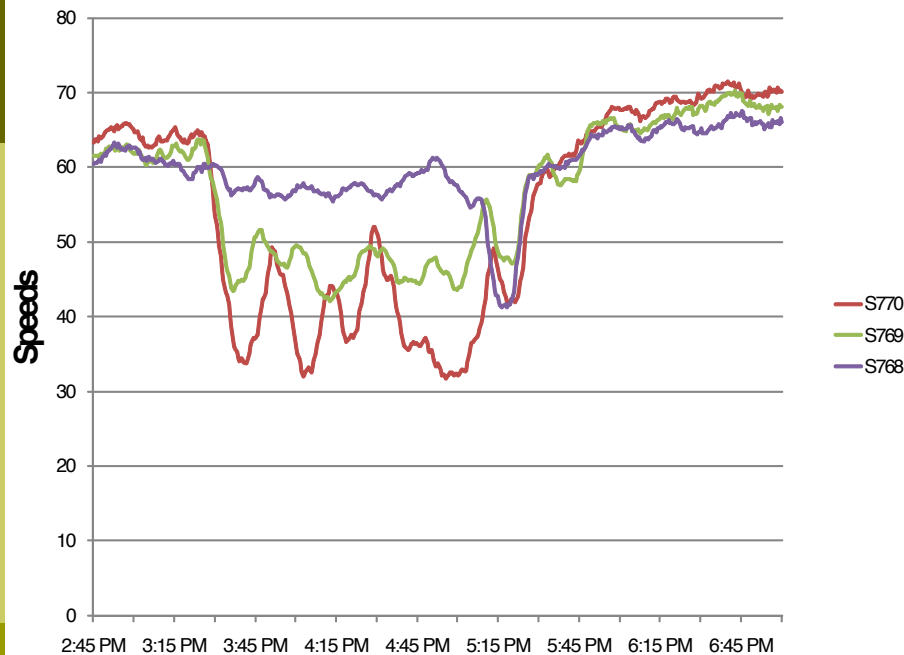
▣ **Control of Traffic Signals**

Schemes to affect traffic stream properties in some desirable way(s); e.g. coordinating green times at neighboring highway traffic signals to reduce driver delay. Adaptive control, Coordination, Ramp metering

▣ **Scheduled Transportation Systems**

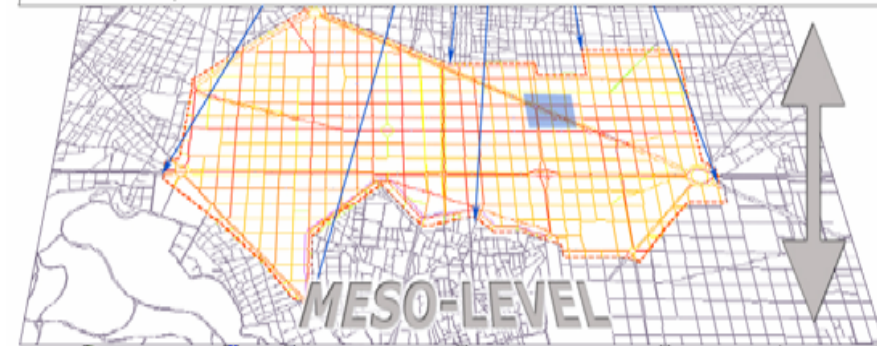
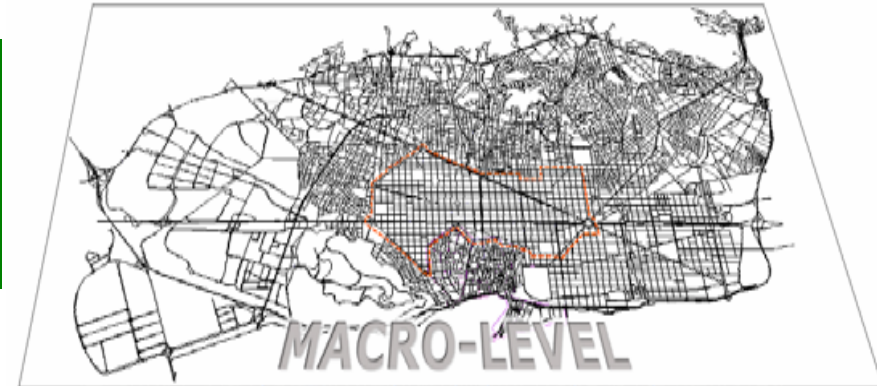
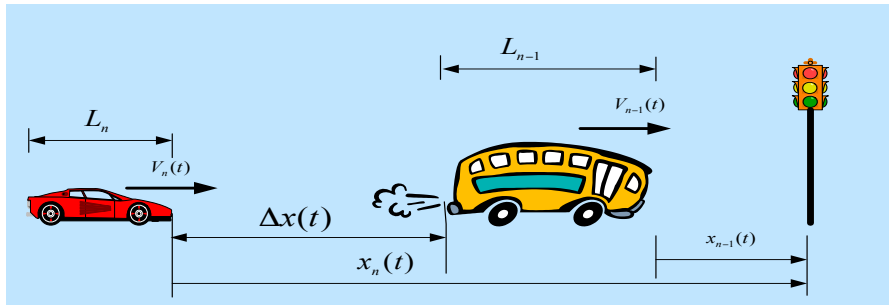
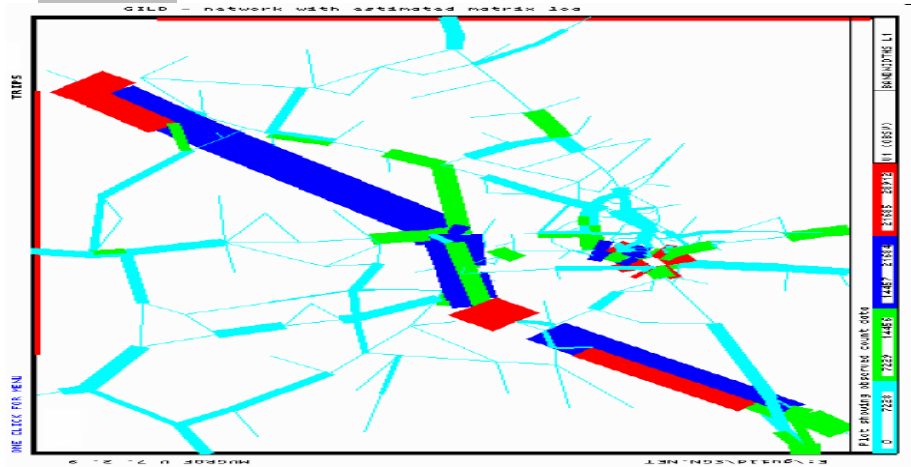
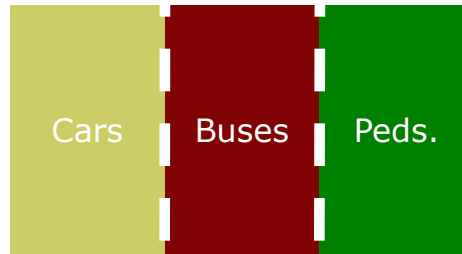
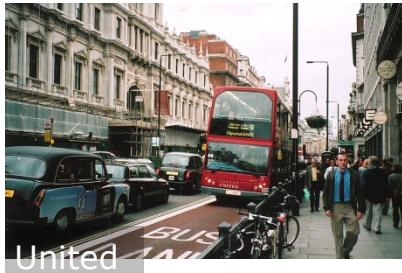
Basic principles in operating fleets, Allocation of urban space, Design, Instabilities, Bus Bunching. Car Sharing. On-demand transportation. Logistics. Preparation for more advanced study.

Data analysis



Date	5 min	L1 Flow (Vh/5 min)	L1 Occ	L2 Flow (Vh/5 min)	 (Vh/5 min)	Flow (Vh/5 min)	Occ	# Lane Points	% Observed
11/10/2007	0:00	24	0.0154	33		95	0.0178	4	100
11/10/2007	0:05	27	0.0193	47		124	0.0223	4	100
11/10/2007	0:10	25	0.0159	43		121	0.0206	4	100
11/10/2007	0:15	27	0.0188	51		126	0.0228	4	100
11/10/2007	0:20	15	0.0103	43		109	0.0215	4	100
.....									
.....									
.....									
11/10/2007	1:30	16	0.0103	34		87	0.0153	4	100
11/10/2007	1:35	20	0.0128	38		101	0.0187	4	100
11/10/2007	1:40	10	0.0061	27		77	0.0137	4	100

Different scales of traffic modeling



Intro to Traffic Management

Traffic Signal Control



Urban Space Allocation



Bus Priority

Parking



Transport systems management



Traffic Control

Ramp metering

Optimal timing design for signal lights

Coordination of signalized intersections

Design of Facilities

Road-geometric design (lane addition, removing bottlenecks)

Improvement in car technologies

Demand management



Demand reallocation

Flexible work hours and telecommuting,
Different work schedule, Vehicle use
restrictions

Decreasing demand

work from home, decrease of week
workload, change home place, change land
use

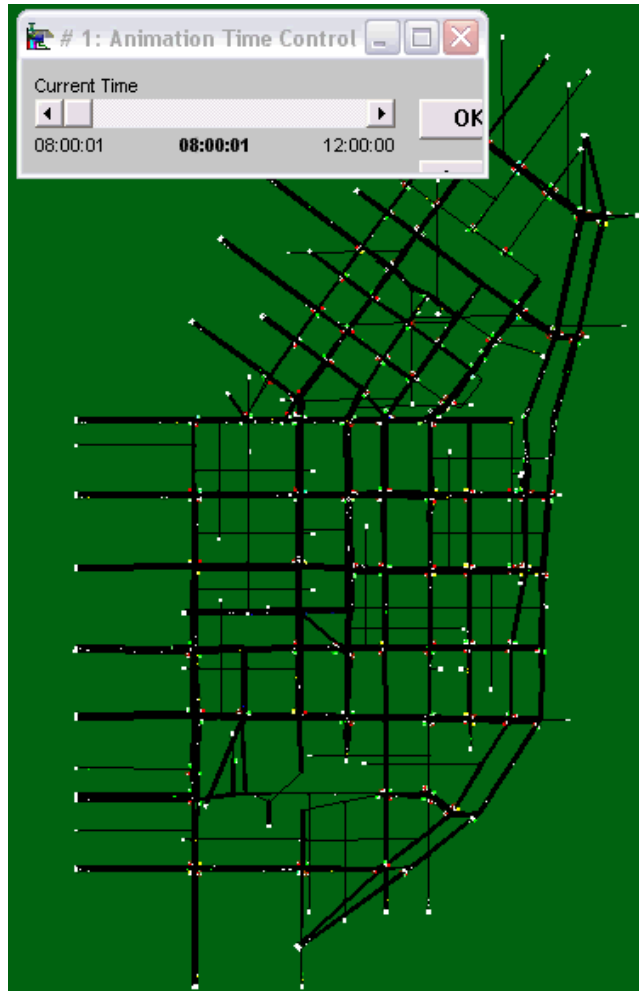
Demand “compression”

car pooling, minibus, transit

Pricing

Road/Congestion pricing, Parking policies

Performance evaluation



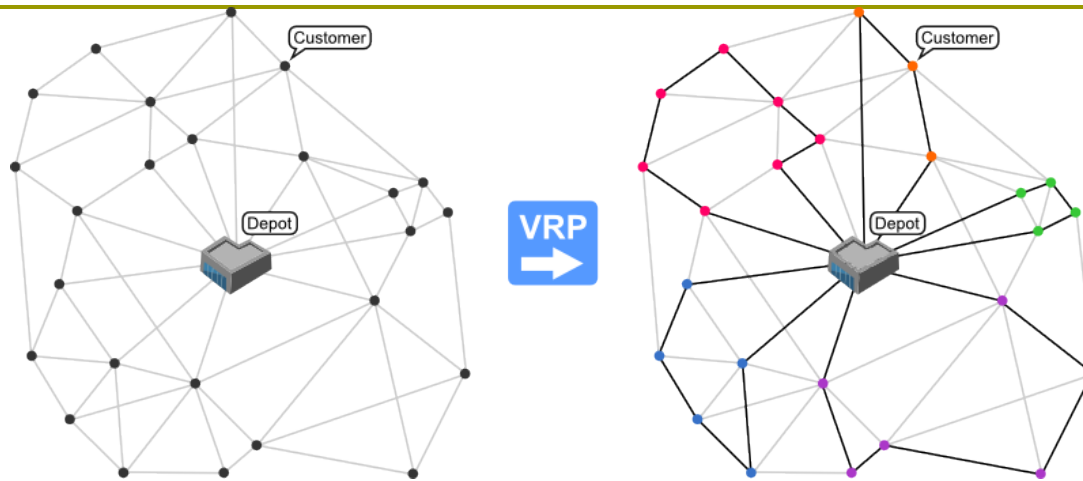
Scheduled Transportation Systems



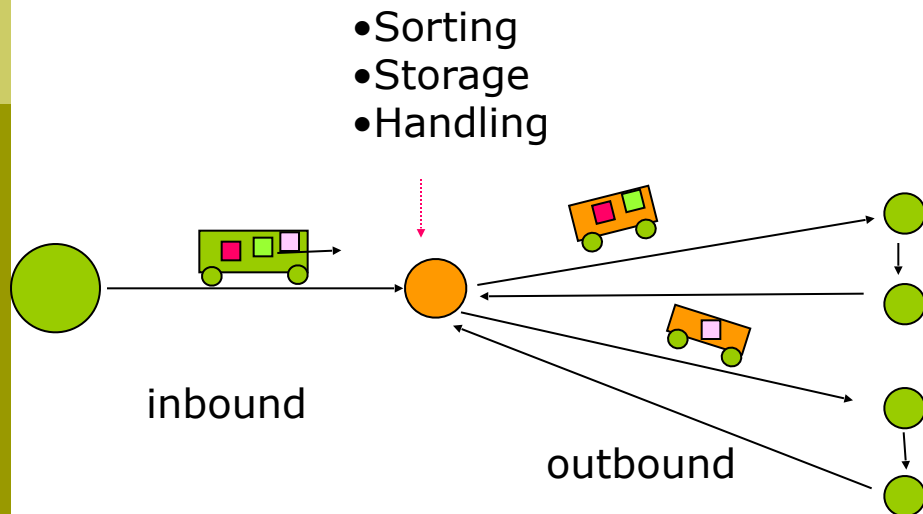
Vietnam



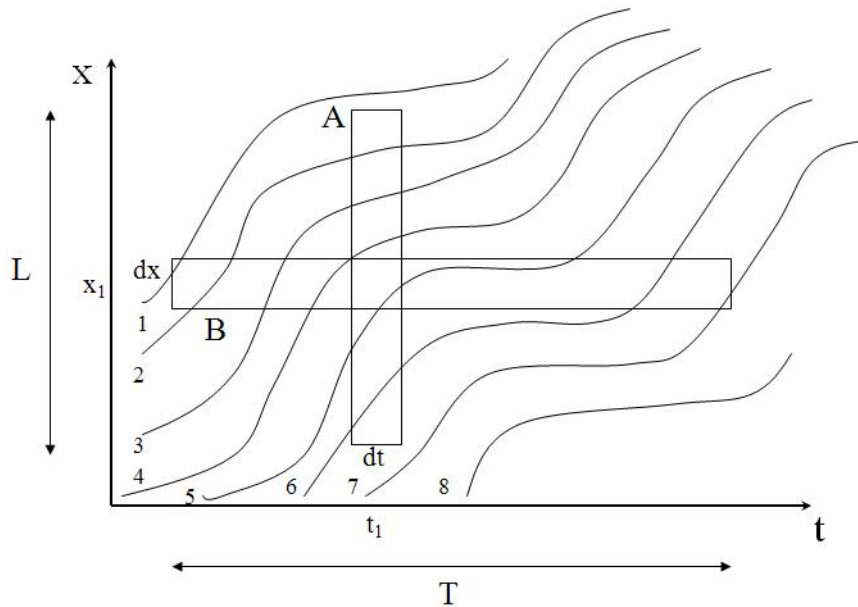
Design of logistics systems



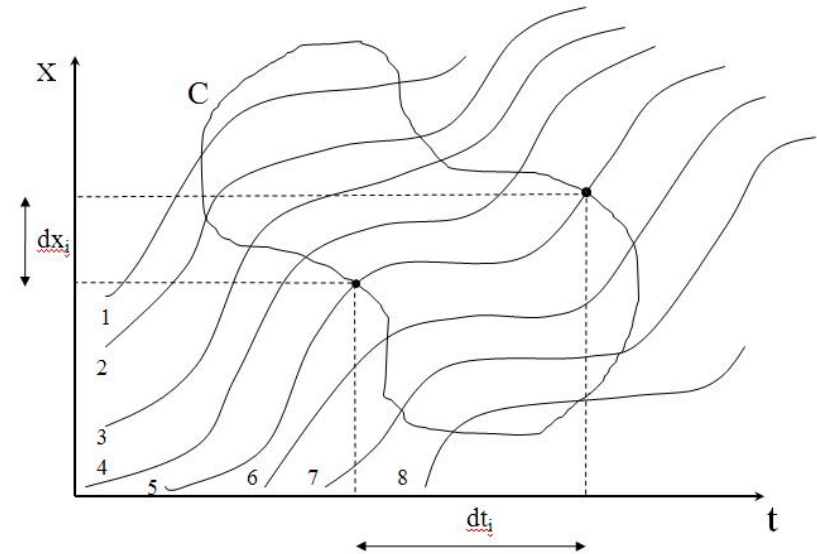
- Vehicle Routing Problem
- One-to-Many
- Many-to-Many



Generalized definitions of q and k



$$Q = \frac{d(A)}{|A|} = \frac{VKT}{Area}$$



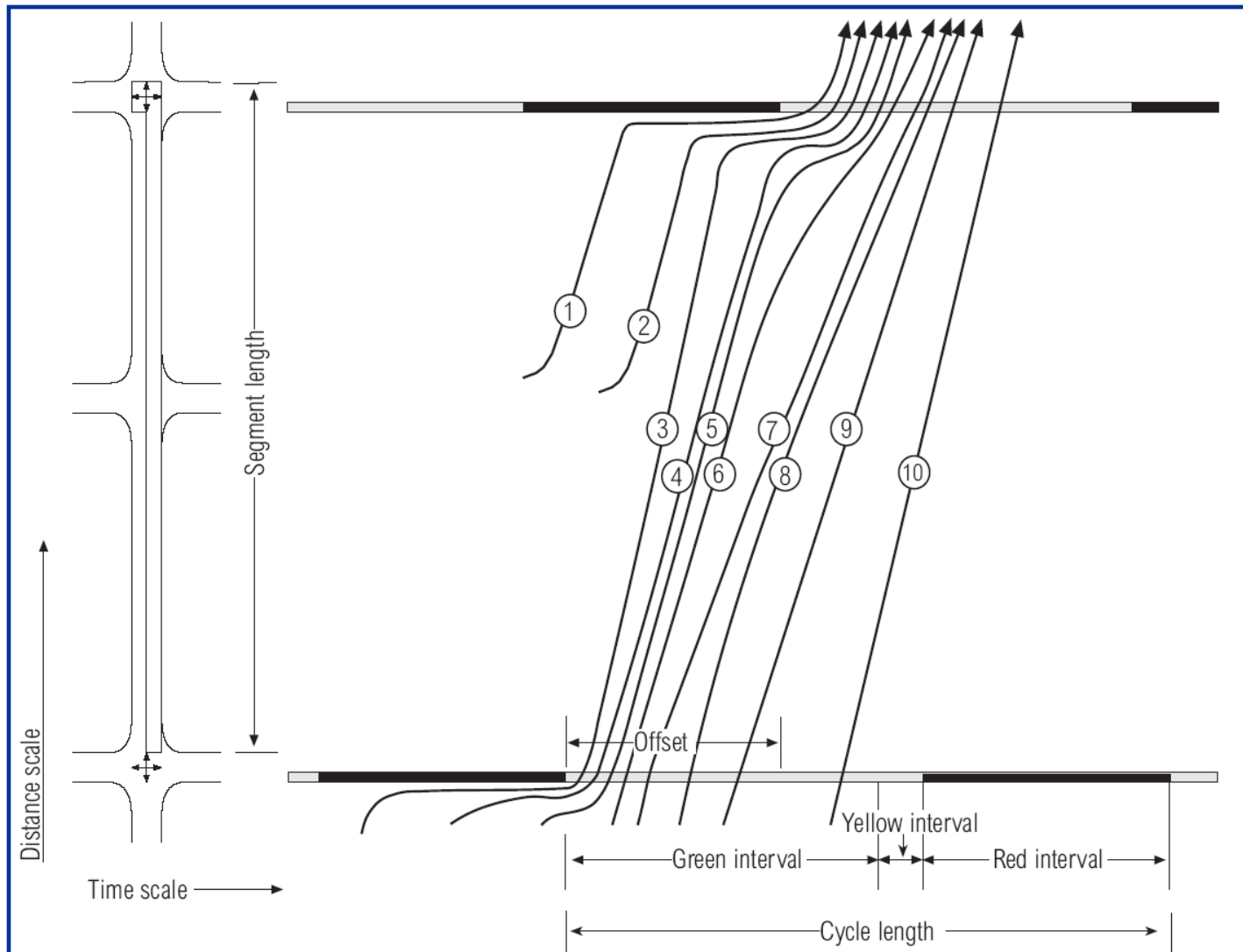
$$K = \frac{t(A)}{|A|} = \frac{VHT}{Area}$$

$$V_{SMS} = \frac{d(A)}{t(A)} = \frac{VKT}{VHT}$$

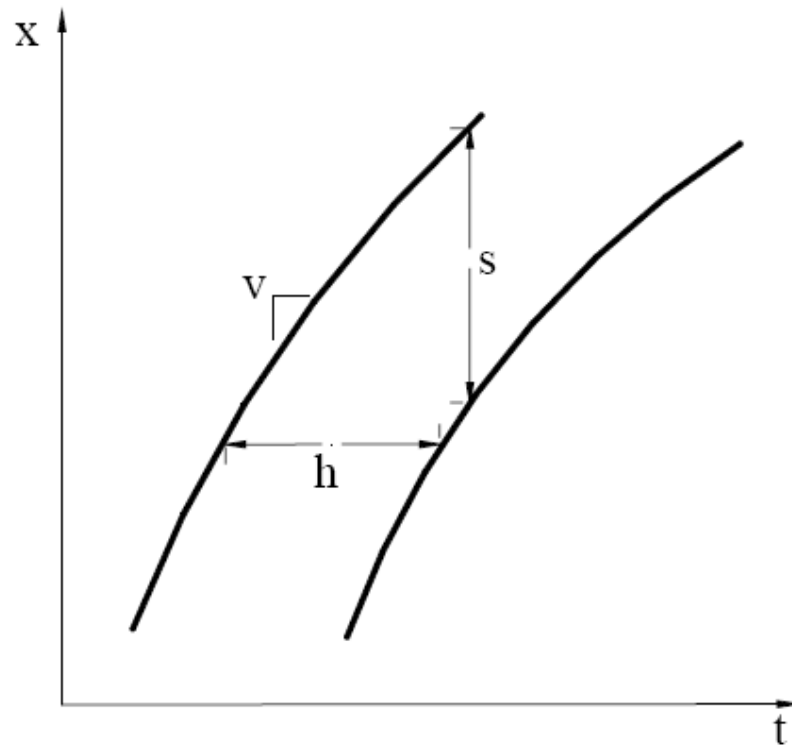
Review of traffic engineering class

- Traffic Stream Characteristics
- See Notes (Please review and come back with questions next week)

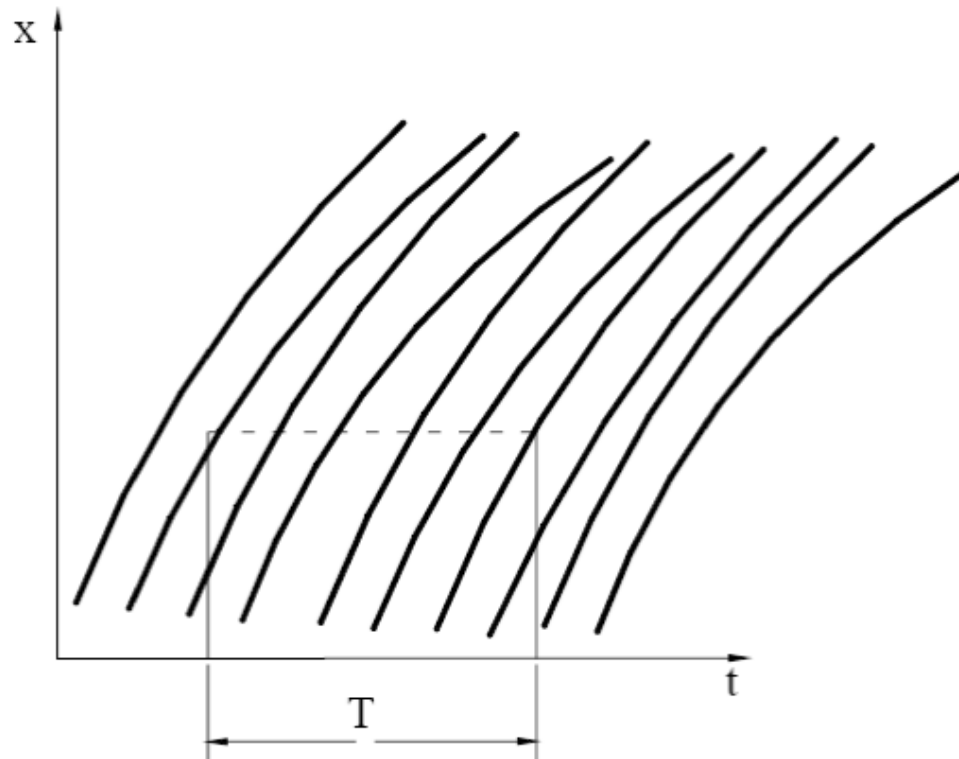
Urban Streets: Vehicle Trajectories



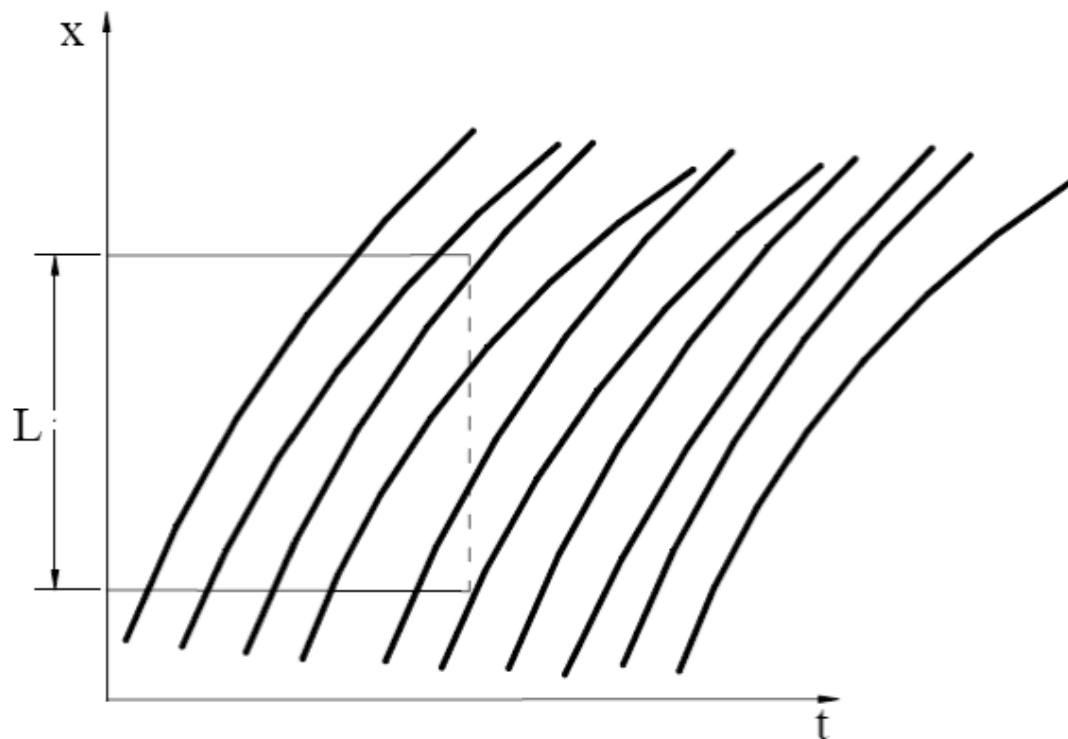
Headway and Spacing Definitions



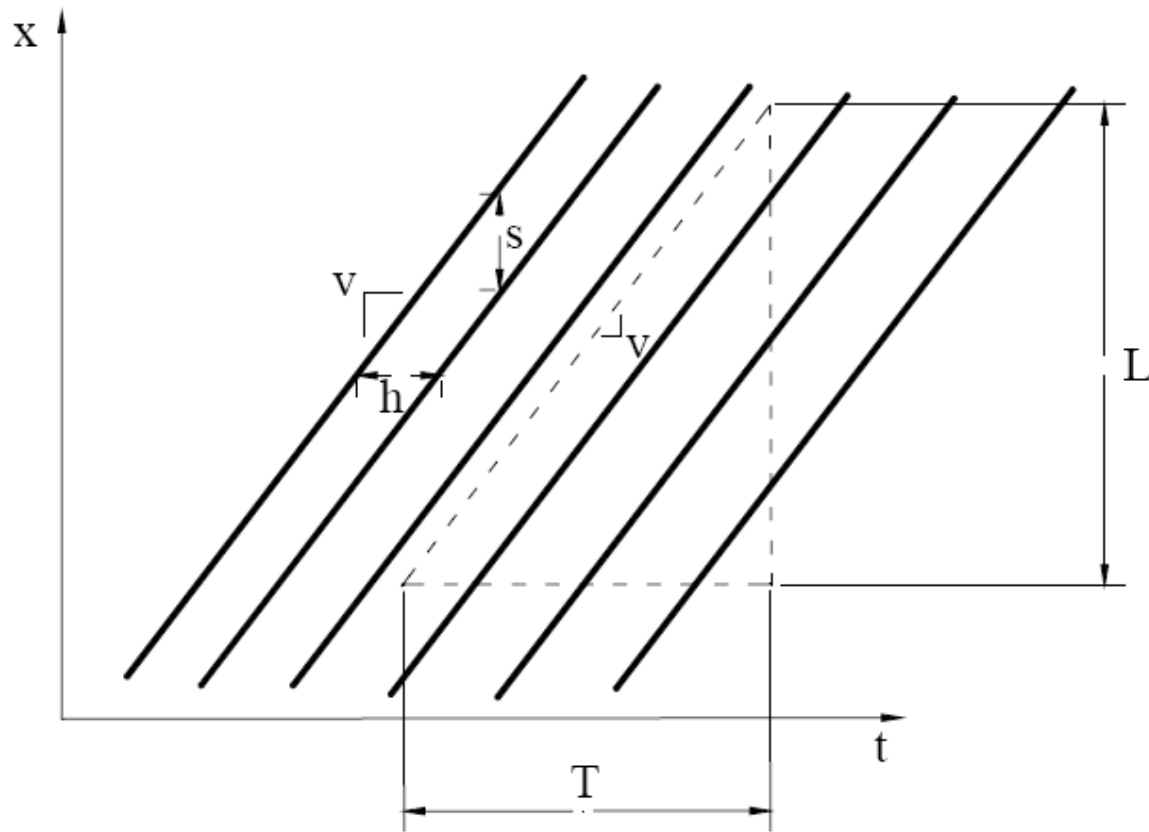
Flow definition



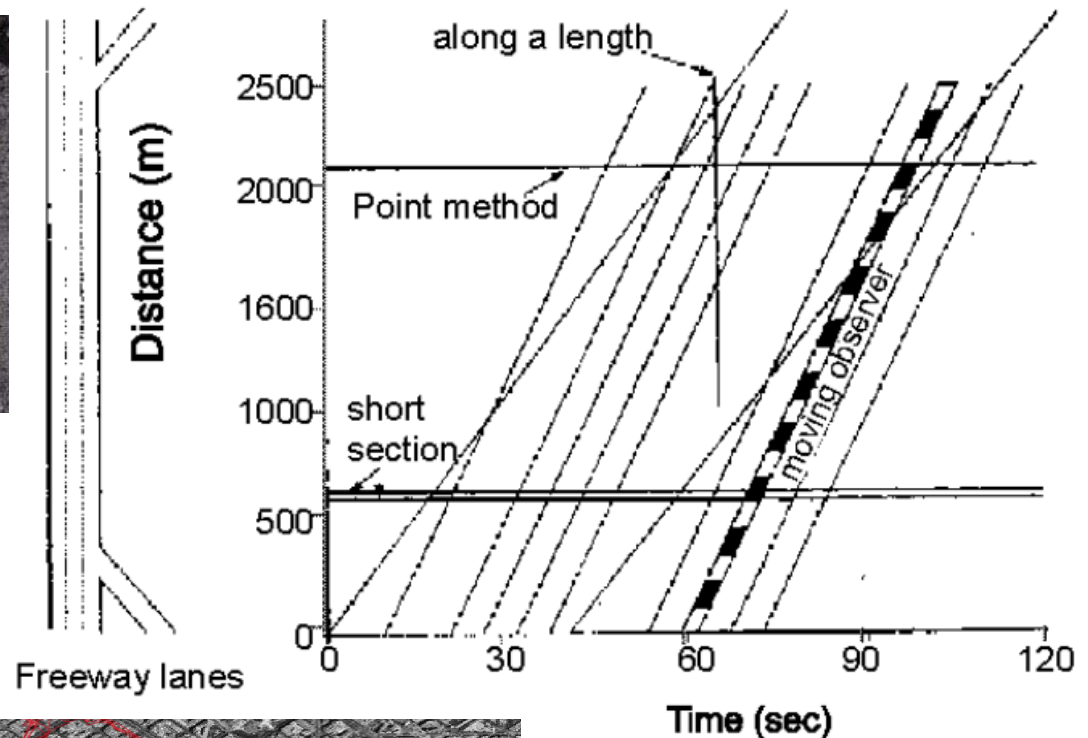
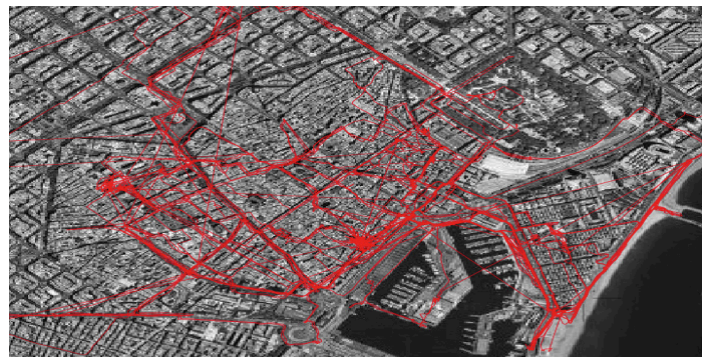
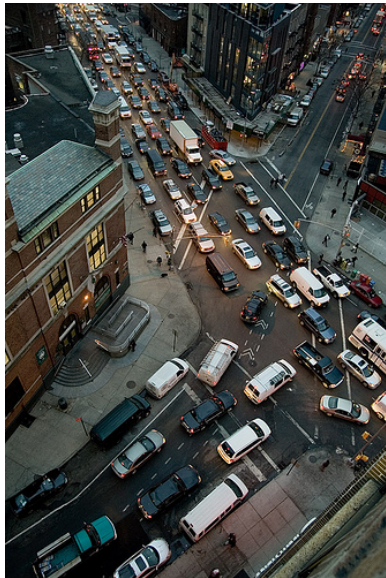
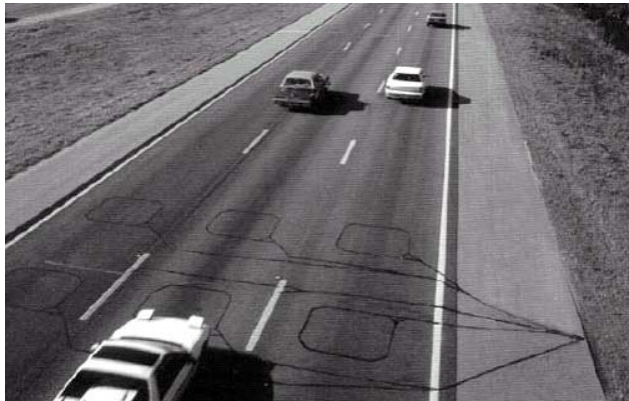
Density Definition



Flow = density * + / - speed

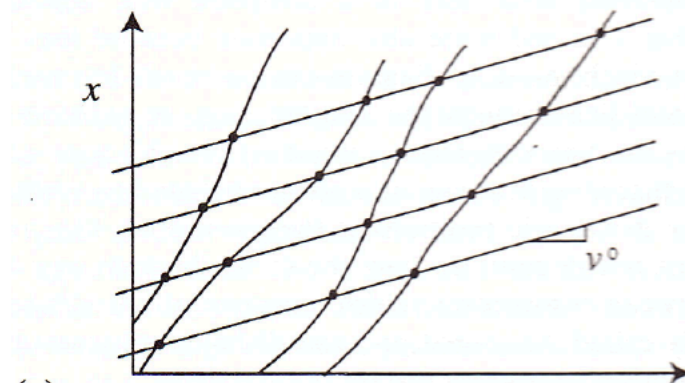
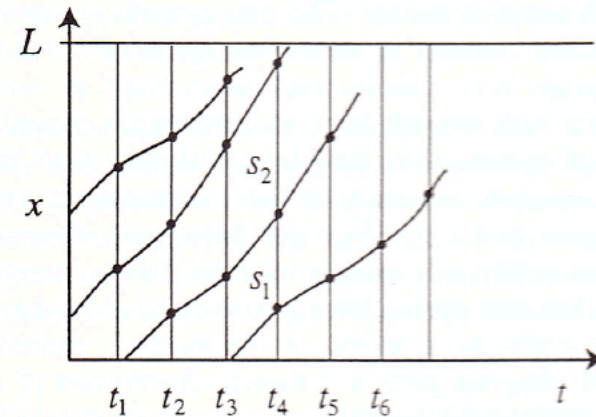
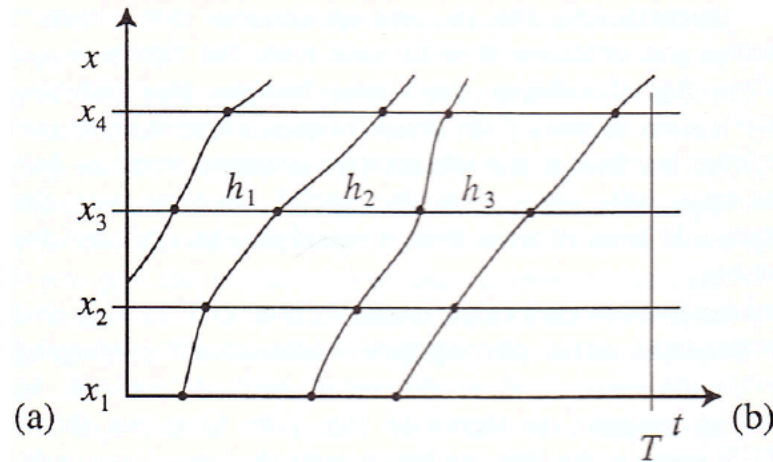


Methods of Observation



Construction of x-t diagram from data

- (a) Roadside observers at various locations.
- (b) aerial photographs at different instants.
- (c) moving observers.



TMS (ν_t) and SMS (ν_s)

space mean speed:

$$\bar{u}_s = \frac{120 + 140 + 100}{3} = 120[\text{km/h}]$$

time mean speed:

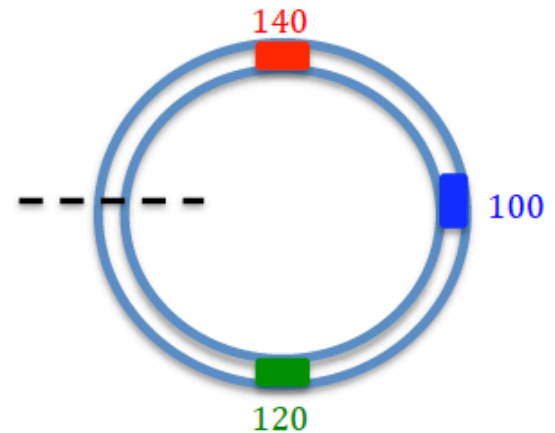
during one hour:

vehicle travels at 100 (km/h) completes 50 laps

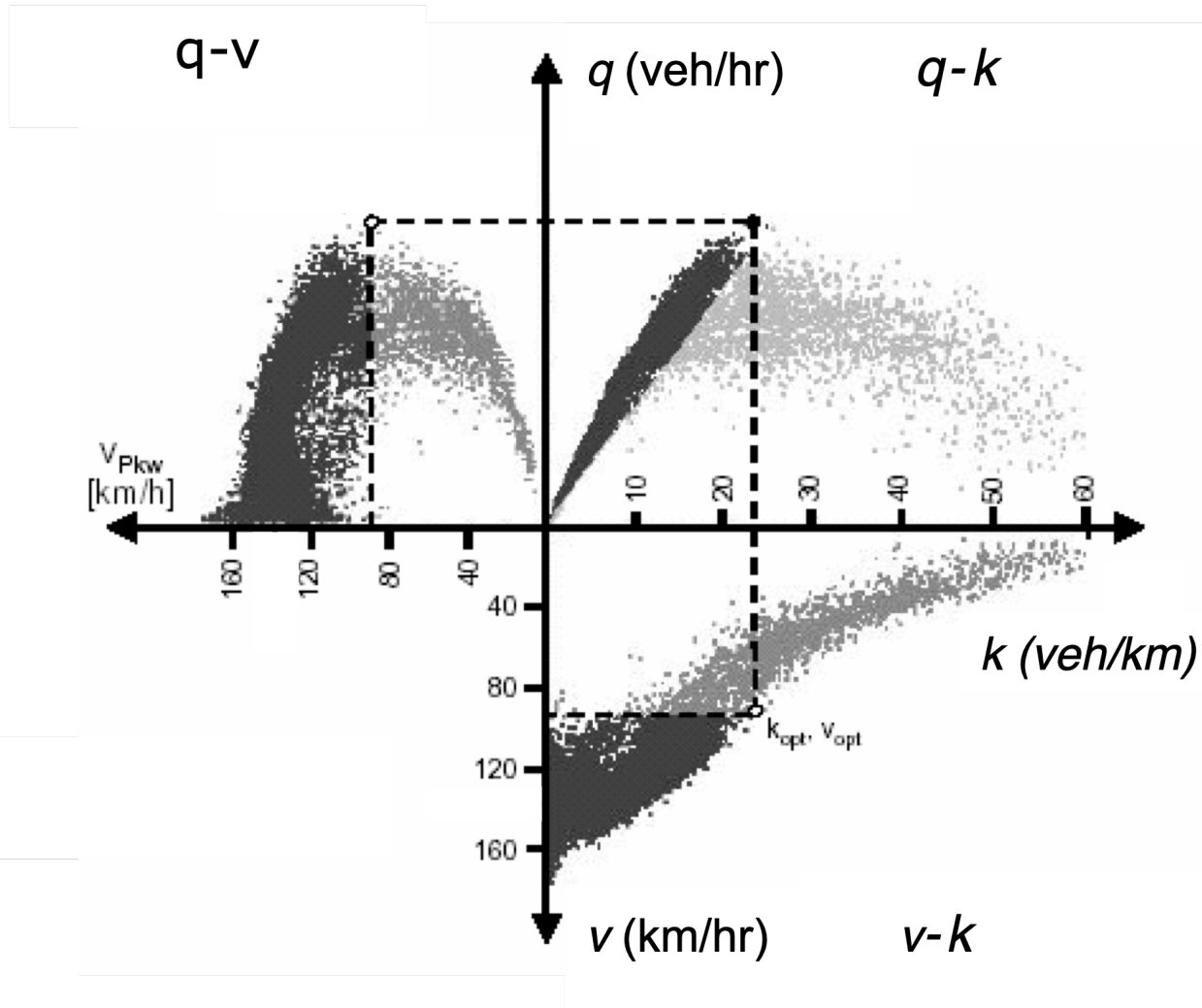
vehicle travels at 120 (km/h) completes 60 laps

vehicle travels at 140 (km/h) completes 70 laps

$$\bar{u}_t = \frac{50(100) + 60(120) + 70(140)}{180} = 122[\text{km/h}]$$

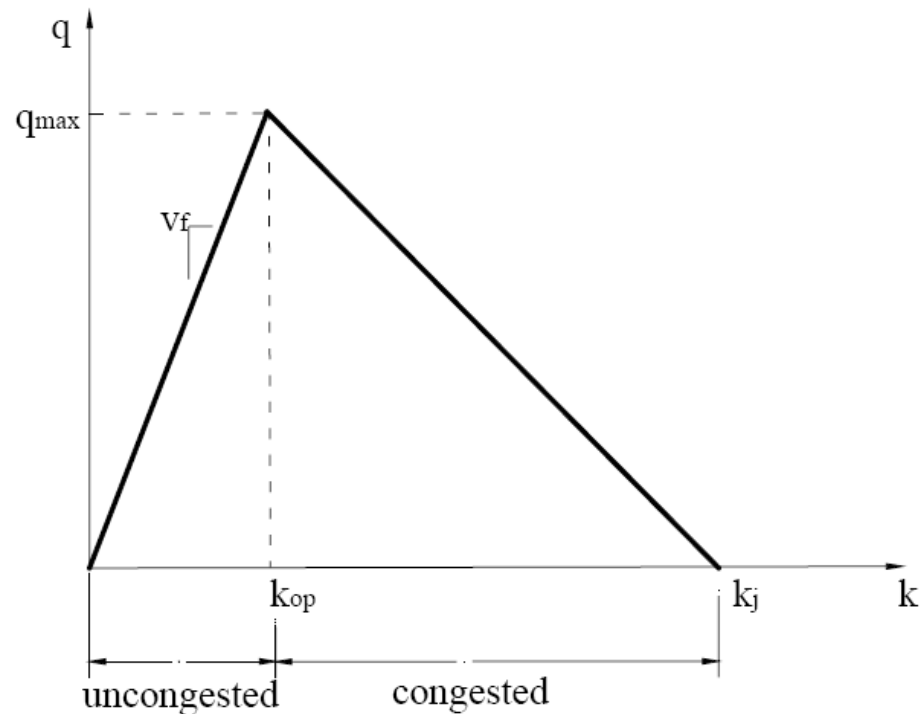


Real freeway data

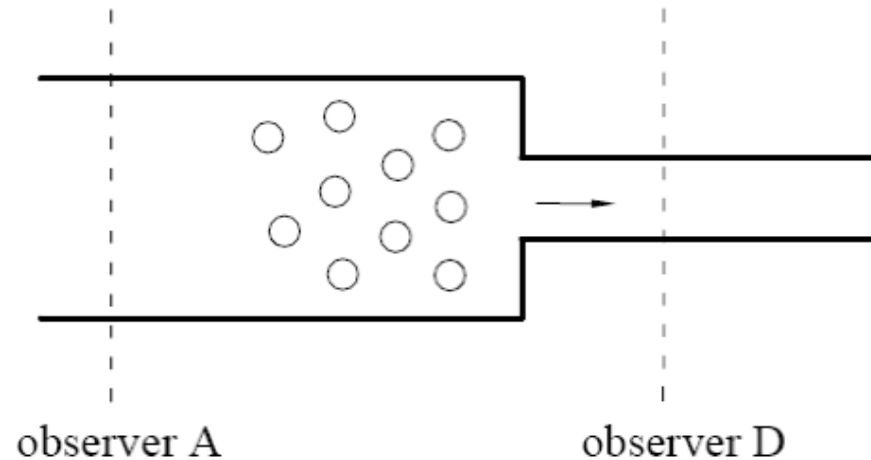


A triangular FD

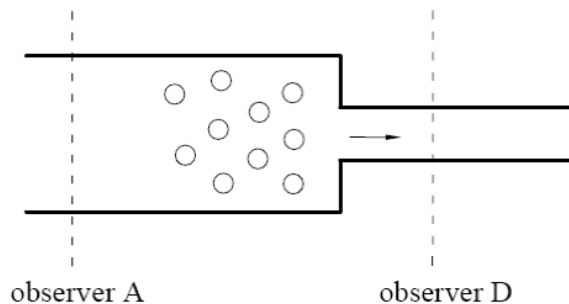
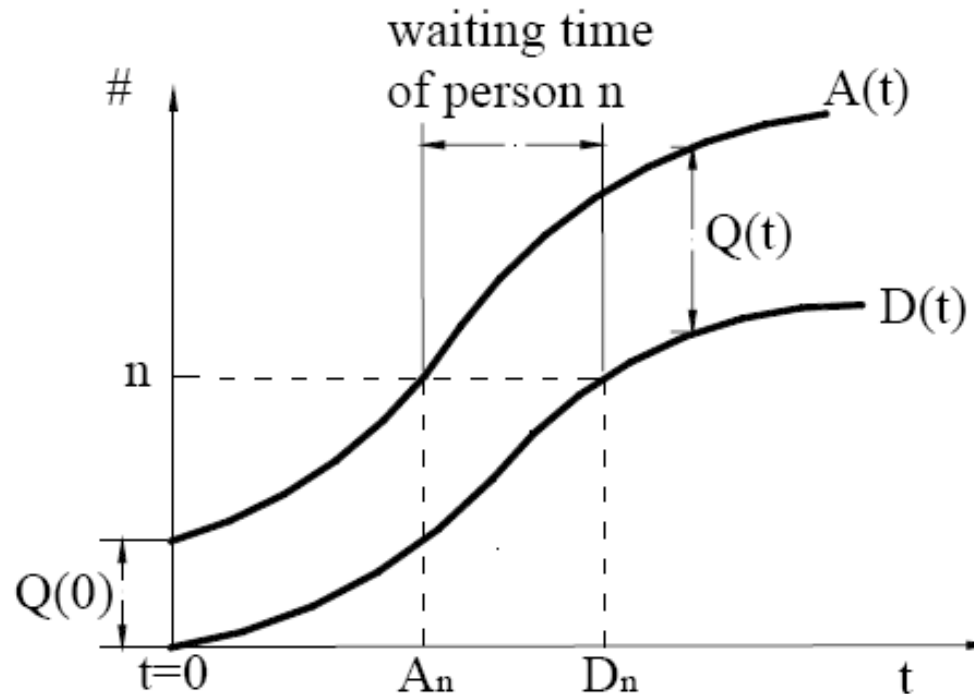
- However, these diagrams are not very realistic. Researchers now know that the flow-density relation is better described by a triangle than by a parabola.
- The following graph shows the Fundamental Diagram as we use it today. It contains enough information to find any of the 5 descriptors, if one is given k .



Input-Output Diagrams



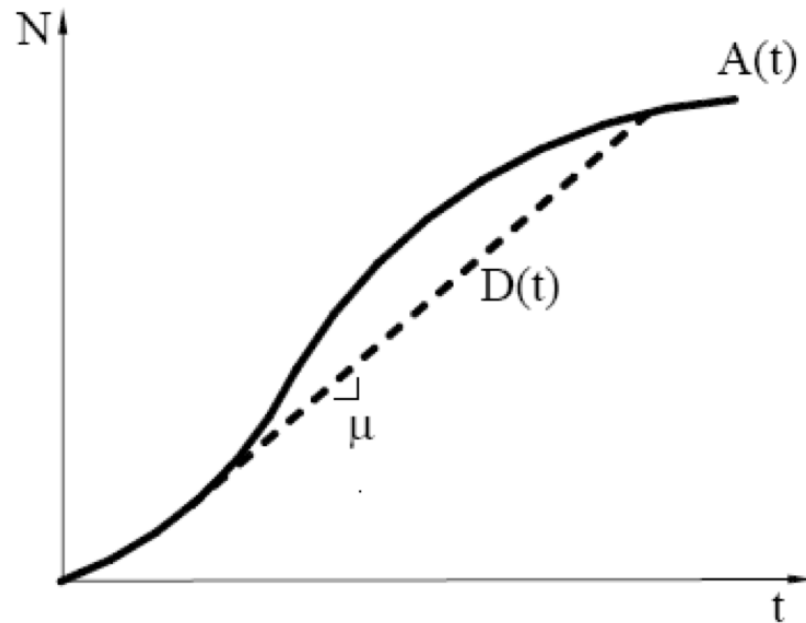
Input-Output Diagrams



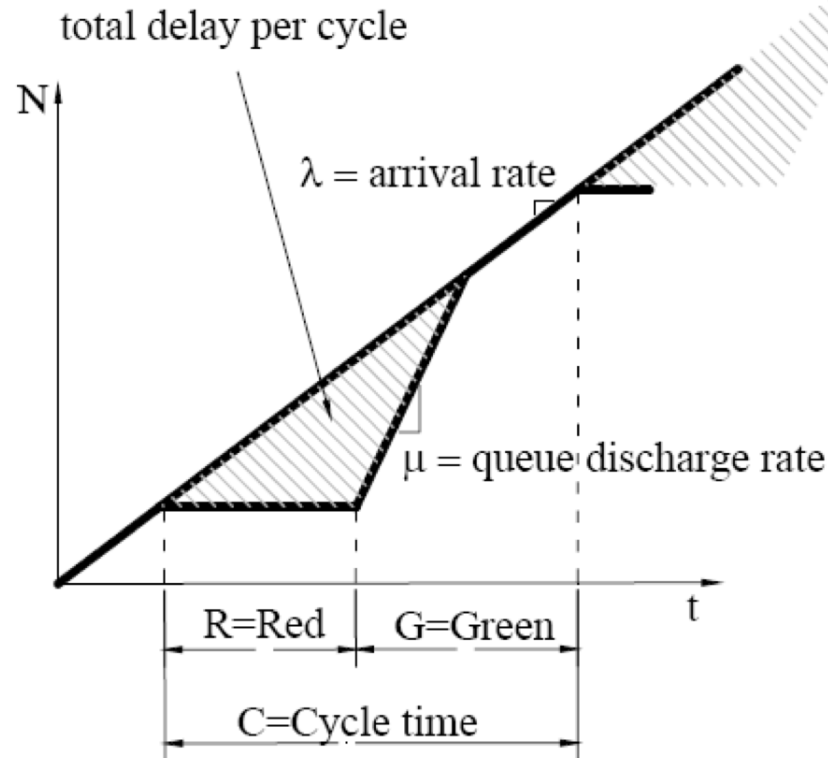
- $Q(0)$ = number of customers in queue at time 0
- $Q(t)$ = number of customers in queue at time t
- A_n = time of arrival of the n^{th} customer
- D_n = time of departure of the n^{th} customer

Construct I-O curves

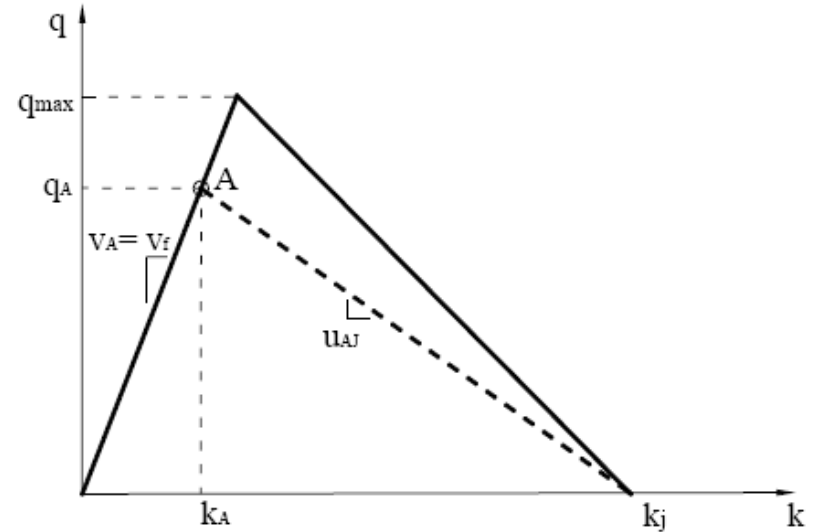
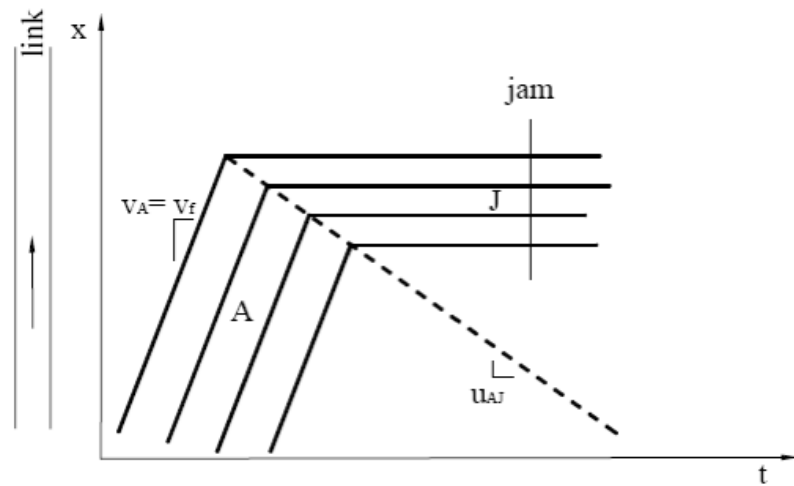
- Given $A(t)$, L , v_f and μ (service rate)



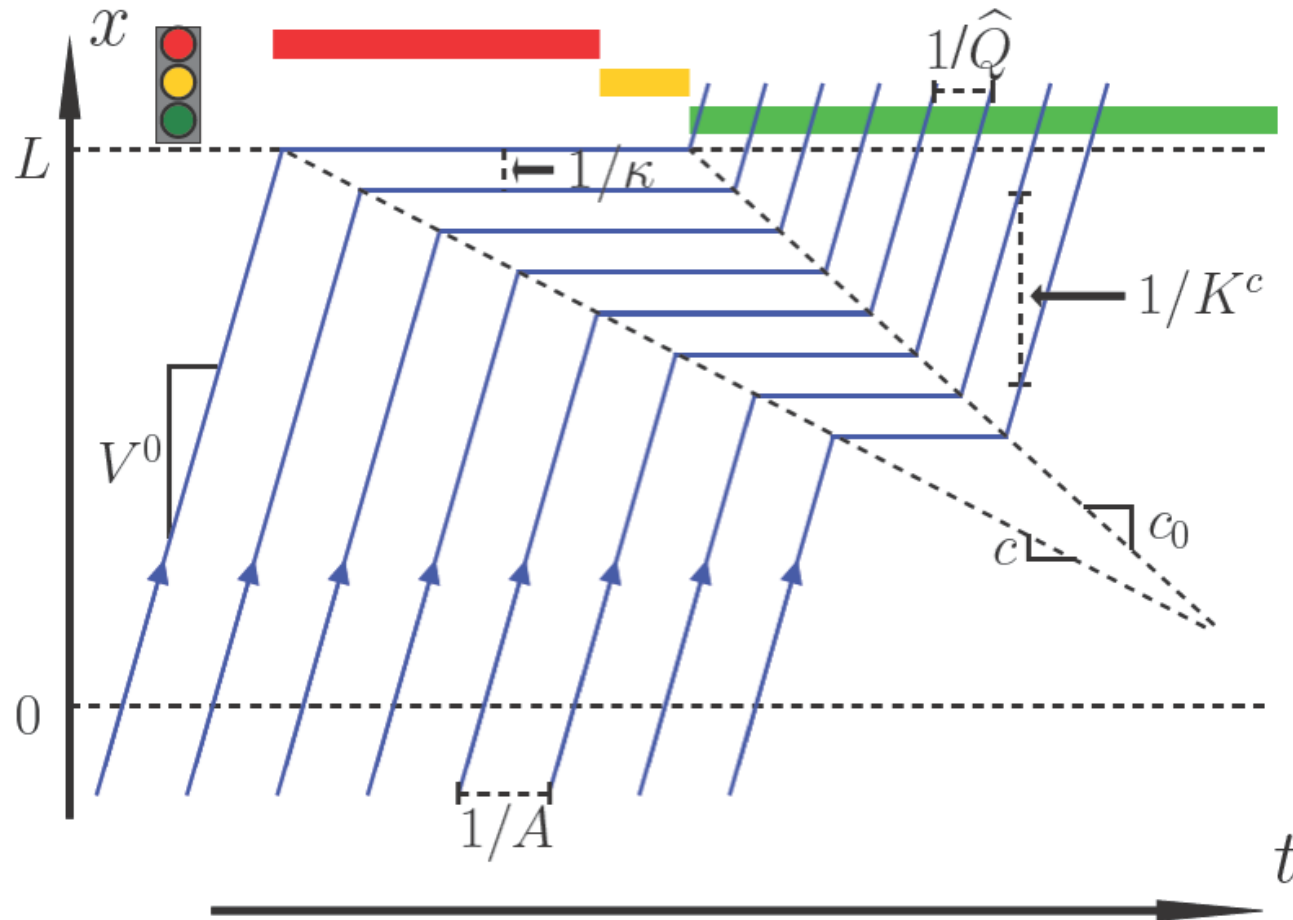
I-O curves (Example of a traffic signal)



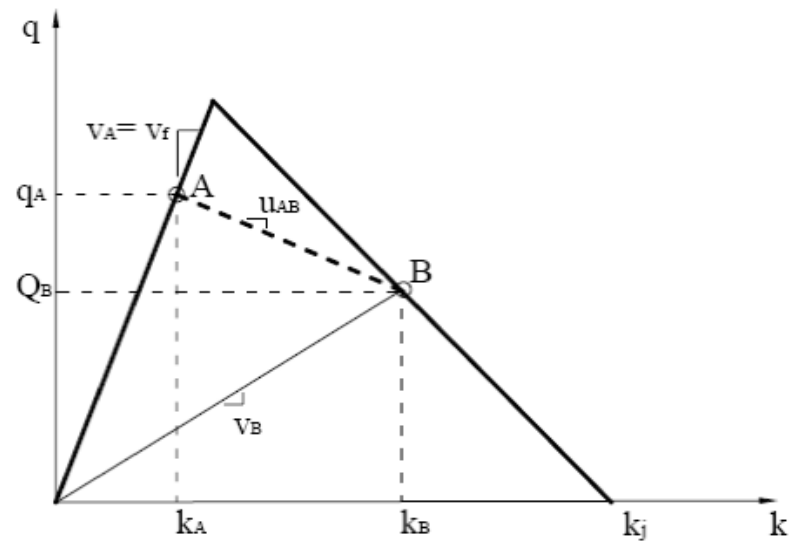
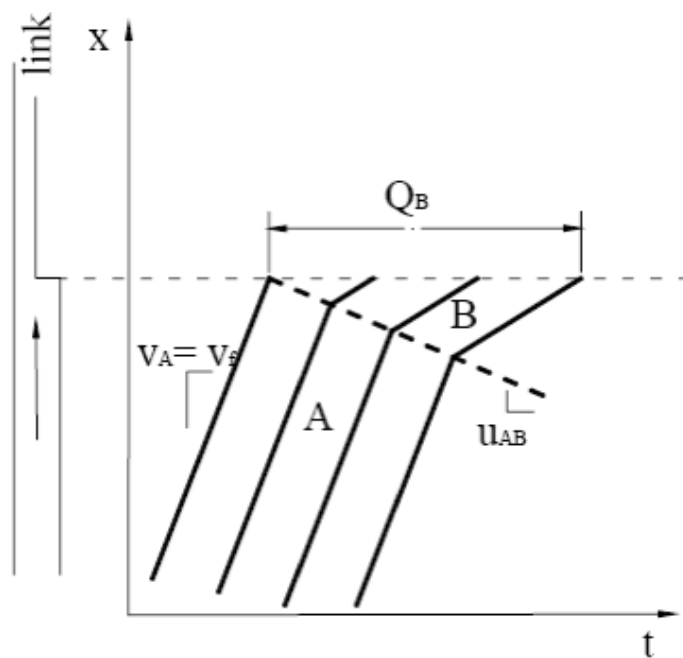
Kinematic wave theory (Example 1)



Traffic signal example



Kinematic wave theory (Example 2)



Exercise 1

- Consider a single-lane road of length $L=300\text{m}$ with a traffic signal at each end. Estimate the average link flow and density according to the generalized definitions for the following values:
- Green=30sec, Red=30sec
- Demand $q=600\text{veh/hr}$
- Triangular FD with capacity= 1800vh/hr , jam density= 150vh/km , critical density= 30vh/km

Problem 2: Passing rate formula

- A vehicle travelling at speed v , overpasses a traffic stream travelling at speed v' and density k' . Identify the passing rate (vehicles passing per unit time).